

Summary from Previous Lecture

- ISM is a multi-phase system:
 - Gas + solid (dust)
 - Gas can be molecular (MCs, dense), atomic (HI regions), ionized (HII regions, dense)
 - Reflection and Dark Nebulae are produced by Dust
- Where is dust produced ?
- Dust forms by nucleation and then grows by accretion
- Why is dust important ?
- It locks most heavy material: C, Si, Mg
- It shapes the emission of galaxies in the IR/mid-IR
- It is the source of extinction, re-process UV into the IR
- It is a tracer of Star formation

Interstellar Extinction

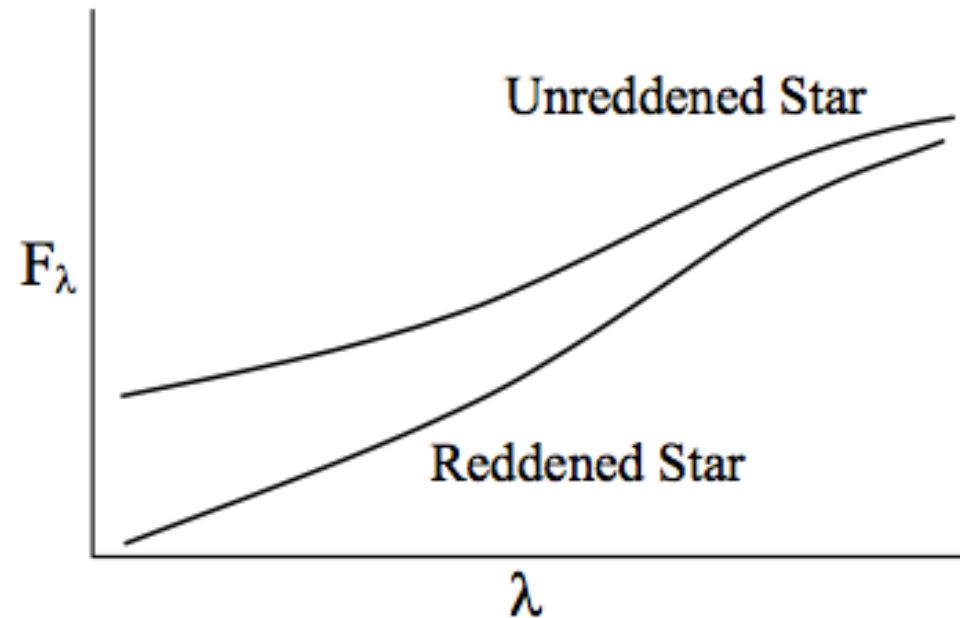
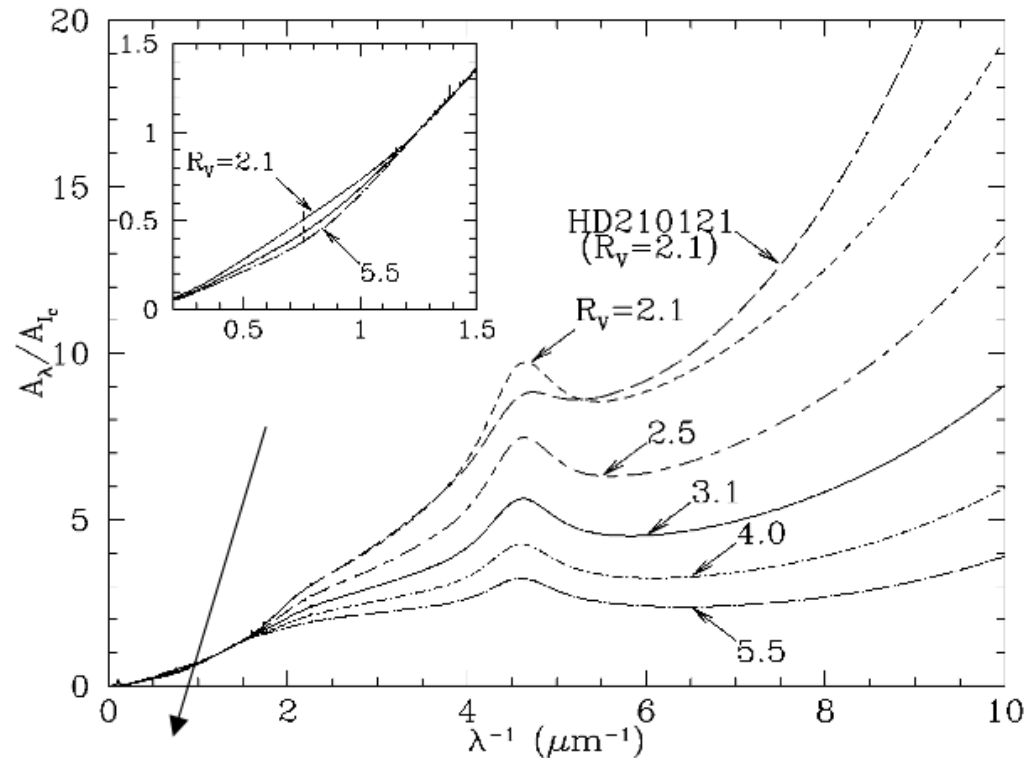


Figure IV-1: Effect of extinction on a stellar spectrum. Extinction is both a total diminution of the stellar light, and is wavelength-selective, in the sense that bluer wavelengths are more extinguished than red wavelengths.

$$\tau_\lambda = \text{const} \times f(\lambda)$$

It was recognized that the optical depth depends on the distance from the source (e.g. total column density) and on a universal extinction function

Empirical Extinction Curves



Based on extinction measurements from the UV to NIR, c.f.
Fitzpatrick, PASP 111 63 1999 & Draine, ARAA 41 241 2003

- R_V depends on the material along the l.o.s
 - For the diffuse ISM $R_V \sim 3.1$
 - For dense MC $R_V \sim 4-6$
- Bump at 2175 Å is due to particles rich in C, graphite or amorphous carbon grains
- The shape of the interstellar extinction curve contains information about the size and chemical composition of interstellar dust grains (MW curve best interpreted as mixture of silicates & graphites)

Optical Property of Dust Grains

For simplicity, we consider homogeneous spherical dust particles of radius a and introduce the **cross section for extinction**

$$\sigma(\lambda) = \pi a^2 Q_{\text{ext}}(\lambda),$$

where $Q_{\text{ext}}(\lambda)$ is the **efficiency factor for extinction**. The optical depth along a line sight with volumetric dust density n_d is then

$$\tau_{\lambda}^{\text{ext}} = \int n_{\text{dust}} \sigma_{\lambda}^{\text{ext}} ds = \sigma_{\lambda}^{\text{ext}} \int n_{\text{dust}} = \pi a^2 Q_{\text{ext}}(\lambda) N_{\text{dust}}$$

- **Extinction in magnitudes** A_{λ} is defined in terms of the reduction in the intensity cause by the presence of the dust :

- $$I(\lambda) = I_0(\lambda) \exp[-\tau_{\lambda}^{\text{ext}}],$$

$$A_{\lambda} = -2.5 \log_{10}[I(\lambda)/I_0(\lambda)] = 2.5 \log_{10}(e) \tau_{\lambda}^{\text{ext}} = 1.086 \tau_{\lambda}^{\text{ext}}$$

E-M scattering by small particles

A. N. Mie (Ann Phys 25 377 1908) solved Maxwell's Equations for scattering by a uniform sphere of radius a and a general index of refraction

$$m = n - ik \text{ with } m = m(\lambda),$$

The mathematical basis is a *multipole expansion* of the scattered wave in terms of (vector) spherical harmonics times, each multiplied by a radial Bessel function, plus the application of appropriate boundary conditions at the surface of the sphere. The classic reference is: H.C. van de Hulst, "Light Scattering from Small Particles"

The basic parameter, measuring radius in terms of wavelength is: $x = 2\pi a/\lambda$

$x \ll 1$: long wavelength *diffraction limit* - need only a few terms

$x \gg 1$: short wavelengths *geometrical optics limit* - need many terms

Asymptotic Mie Formulae For $x = 2\pi a/\lambda \ll 1$

$$Q_{abs} = -4x \operatorname{Im} \left(\frac{m^2 - 1}{m^2 + 2} \right) \propto \lambda^{-1}$$

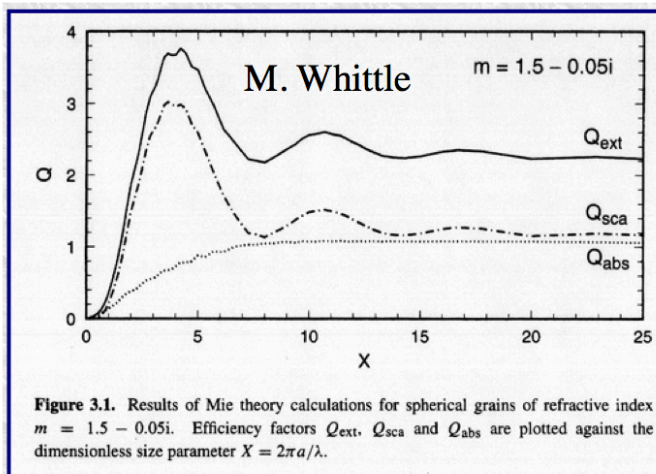
$$Q_{sca} = \frac{8}{3} x^4 \operatorname{Re} \left\{ \left(\frac{m^2 - 1}{m^2 + 2} \right)^2 \right\} \propto \lambda^{-4}$$

In this long wavelength or Rayleigh limit, the absorption cross section depends only on the mass of the grain:

$$\sigma_{abs} = Q_{abs} \pi a^2 \propto a^3 \propto m_{dust}$$

Note:

1. The λ^{-1} behavior explains the extinction curve
2. The λ^{-4} behavior explains why scattering is more effective on blue wavelengths

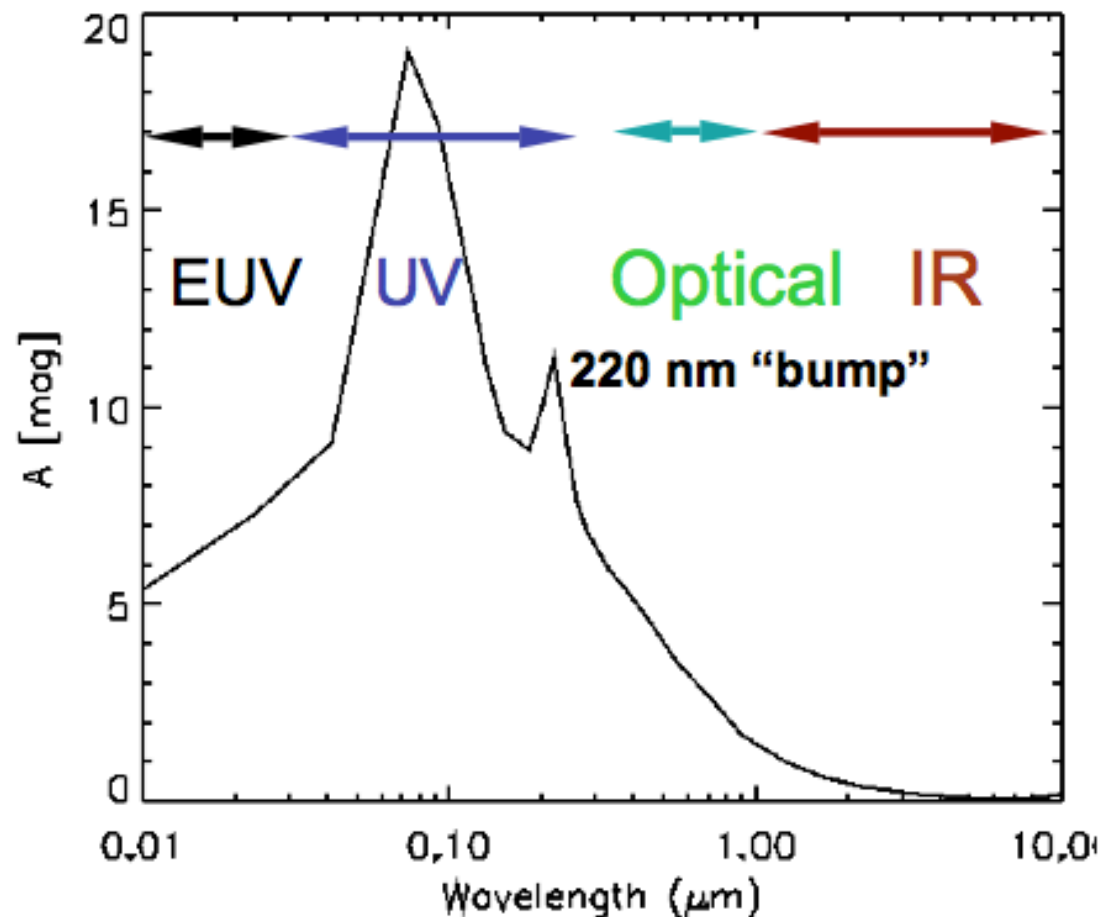


Schematic plot of extinction

General Properties

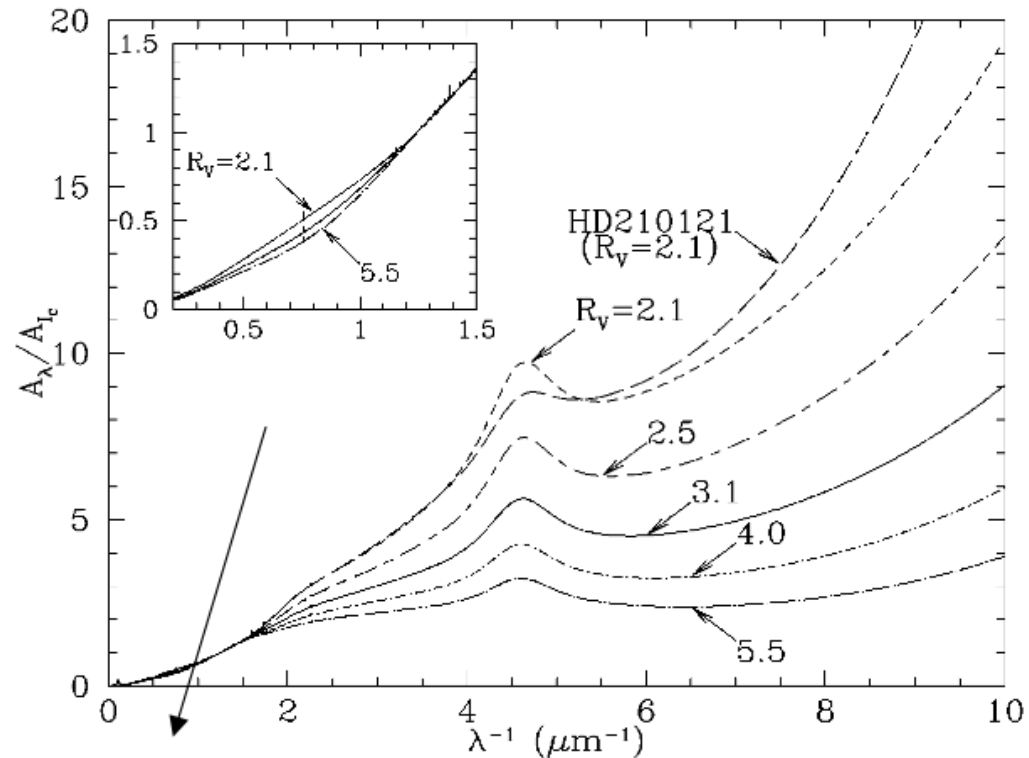
1. $\lambda^{-1.5}$ trend in the optical/NIR
3. steep UV rise with peak at $\sim 800 \text{ \AA}$
4. strong features:
 - $\lambda = 220 \text{ nm}$, $\Delta \lambda = 47 \text{ nm}$
 - $\lambda = 9.7 \text{ \mu m}$, $\Delta \lambda \sim 2\text{-}3 \text{ \mu m}$ (not visible on this plot)

Remember, grain sizes: $5 \text{--}3000 \text{ \AA}$
(e.g. $<0.3 \text{ \mu m}$)



Magnitudes of extinction vs, wavelength (schematic)

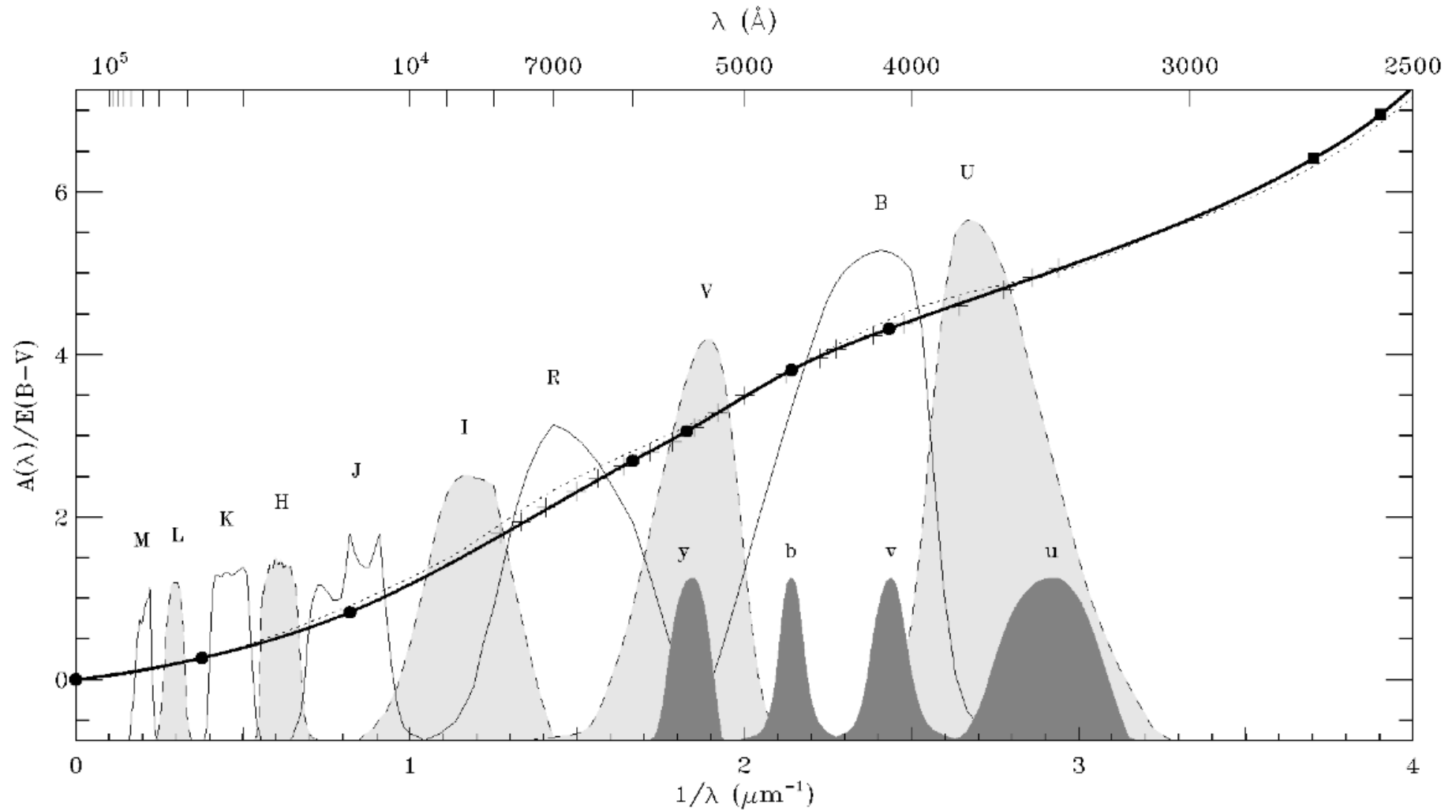
Empirical Extinction Curves



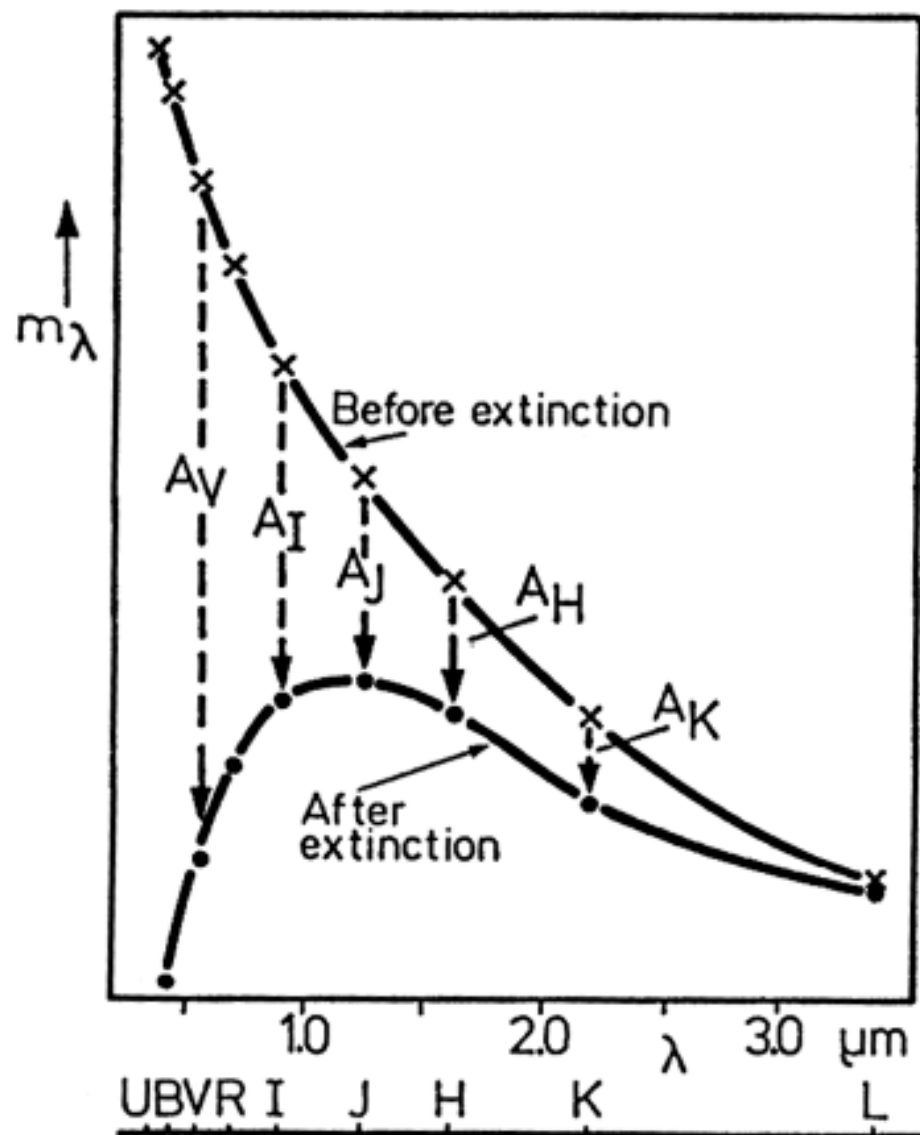
Based on extinction measurements from the UV to NIR, c.f.
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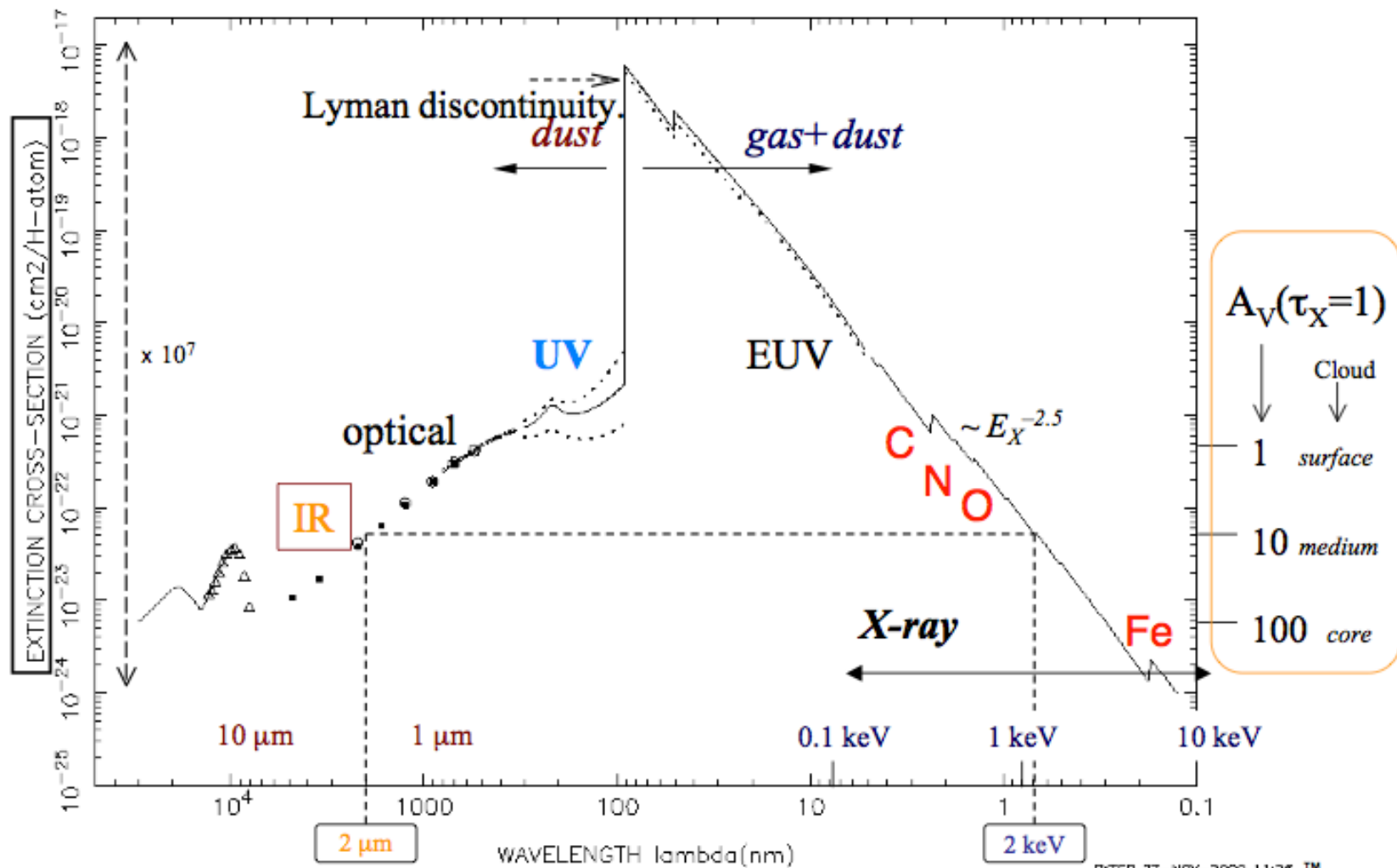
Fitzpatrick et al 1999



Filter	$\Lambda_\lambda/\Lambda_V$
<i>U</i>	1.531
<i>B</i>	1.324
<i>V</i>	1.000
<i>R</i>	0.748
<i>I</i>	0.482
<i>J</i>	0.282
<i>H</i>	0.175
<i>K</i>	0.112
<i>L</i>	0.058
<i>M</i>	0.023
<i>N</i>	0.052



Extinction

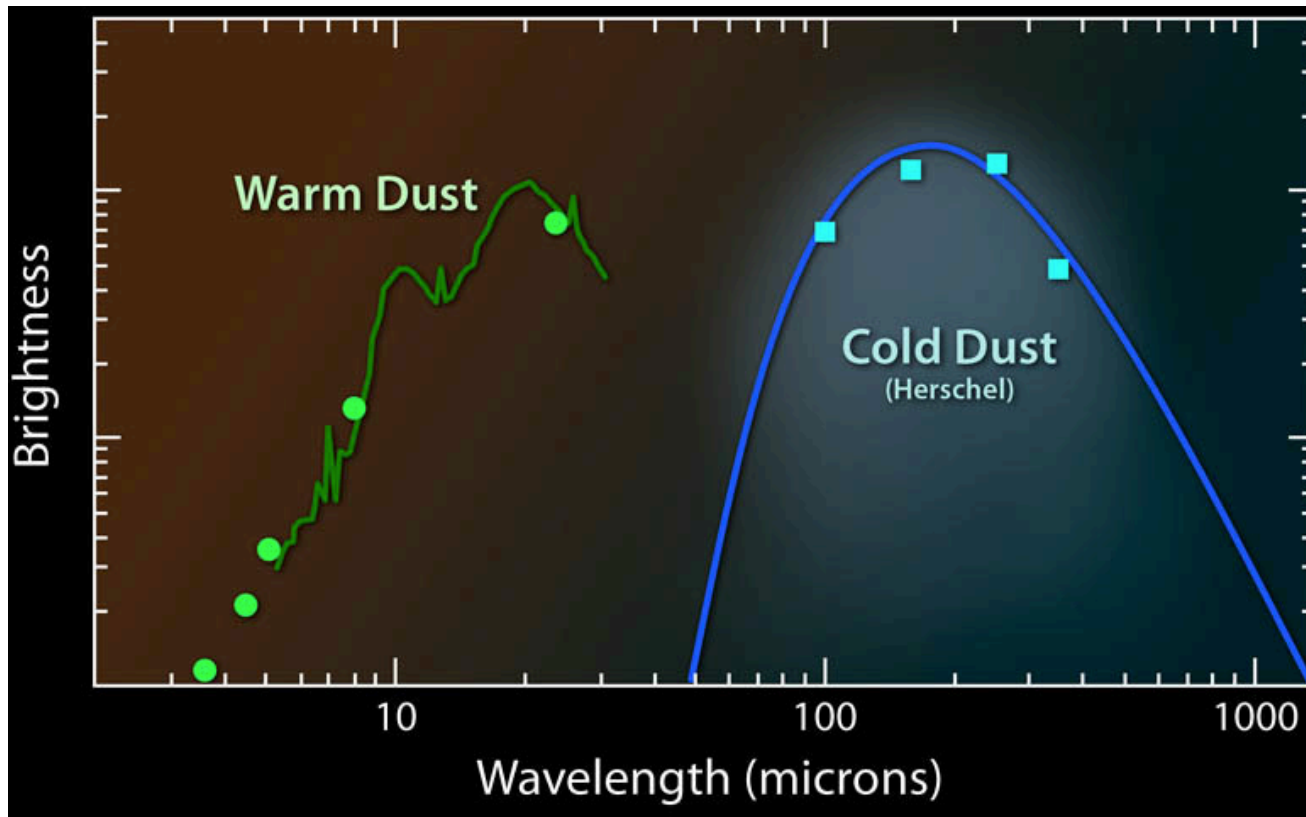
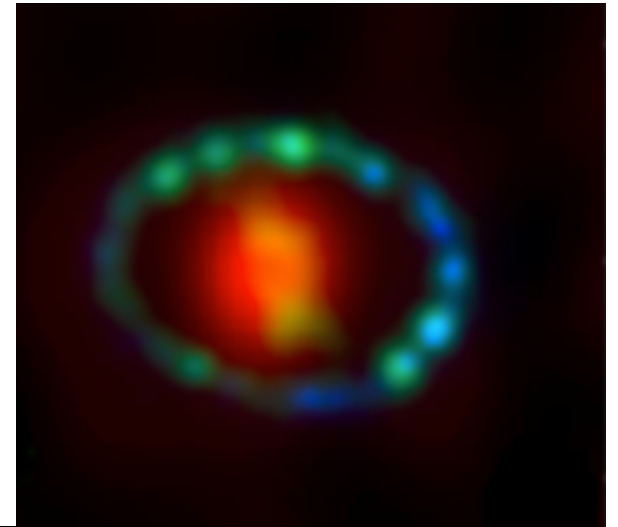


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T. Montmerle

Dust Emission

- Herschel result on 1987a
 - Warm dust is heated up in the ring
 - Cold dust is in the center ($T \sim 20\text{K}$)



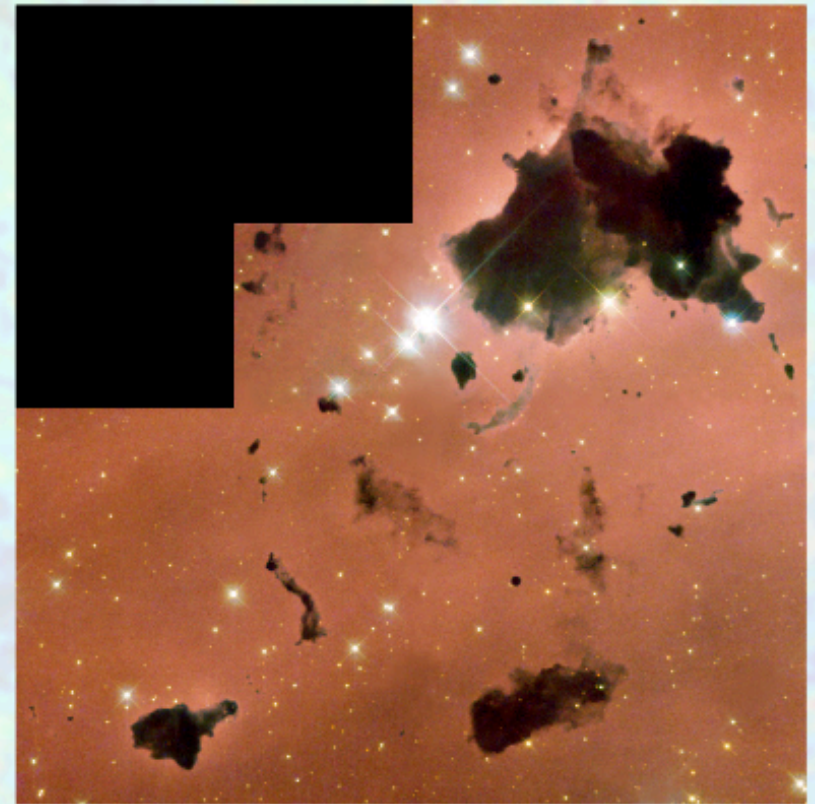
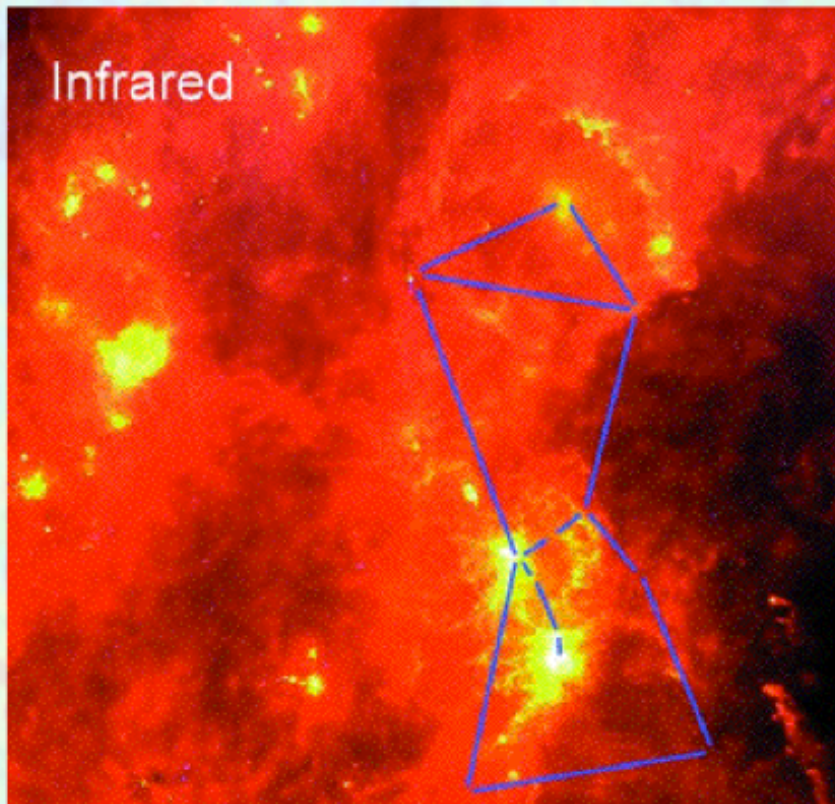
Examples

* Grains at thermal equilibrium at a distance $r=0.5\text{pc}$ from an O_6 star
($R^*=1.1 \cdot 10^{12} \text{ m}$, $T^*=40000 \text{ K}$)

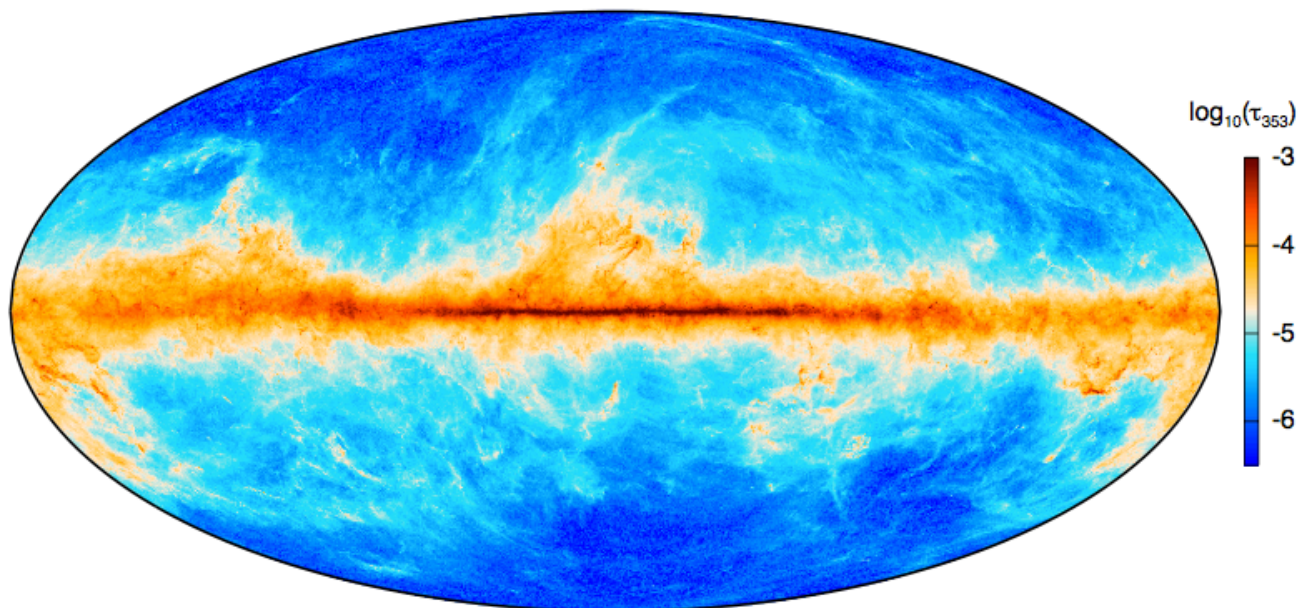
⇒ $T_g = 650 \text{ K}$

* Grains in diffuse medium, heated by ISRF:
 $a=0.1\mu\text{m}$, $T_{\text{graphite}}=18.8 \text{ K}$, $T_{\text{silicate}}=15.4 \text{ K}$
(Draine & Lee Model (1984))

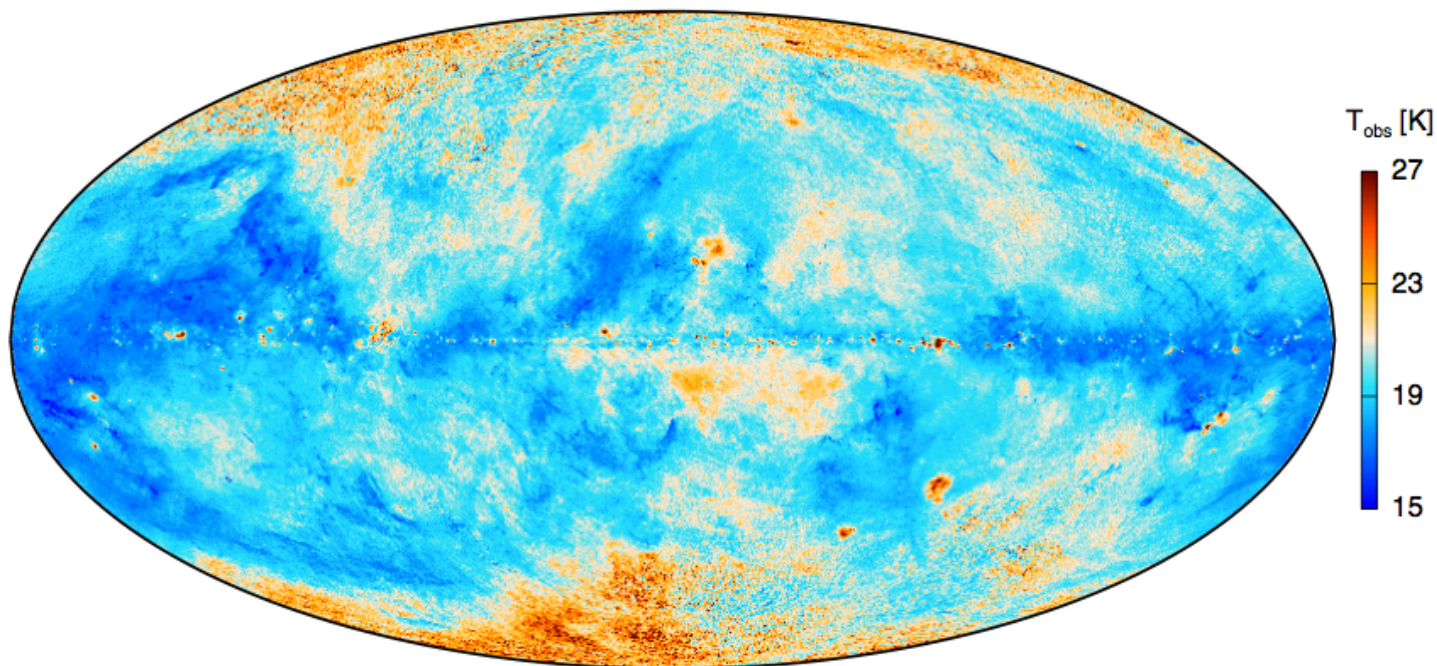
* Grain in a Bok globule : $T \sim 14 \text{ K}$.

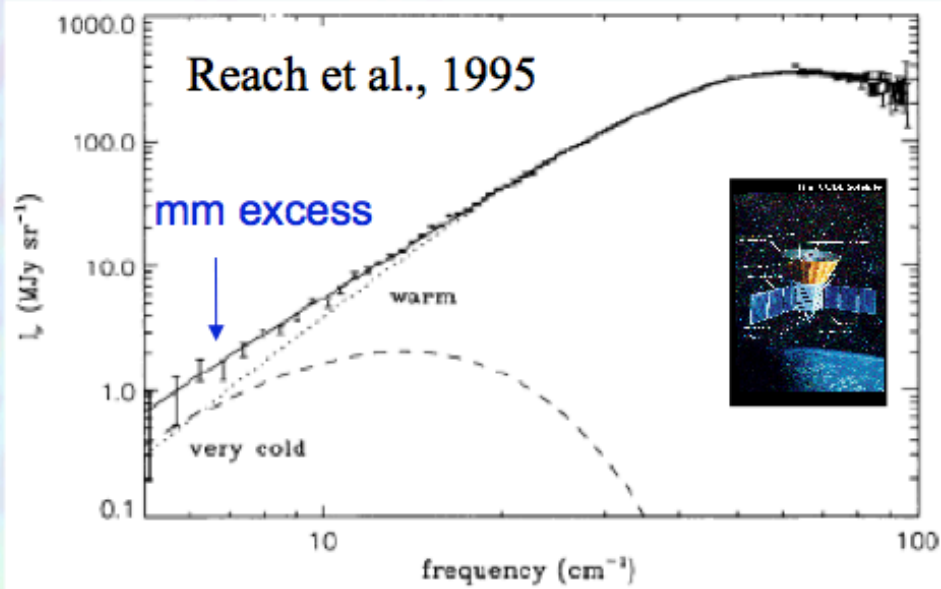


Planck



- Average $T \sim 19$ K





⇒ **mm** excess
 ⇒ very cold dust (5-7 K)

mm excess is actually strongly correlated to FIR emission
 This lead Reach et al. to reject "very cold" dust.

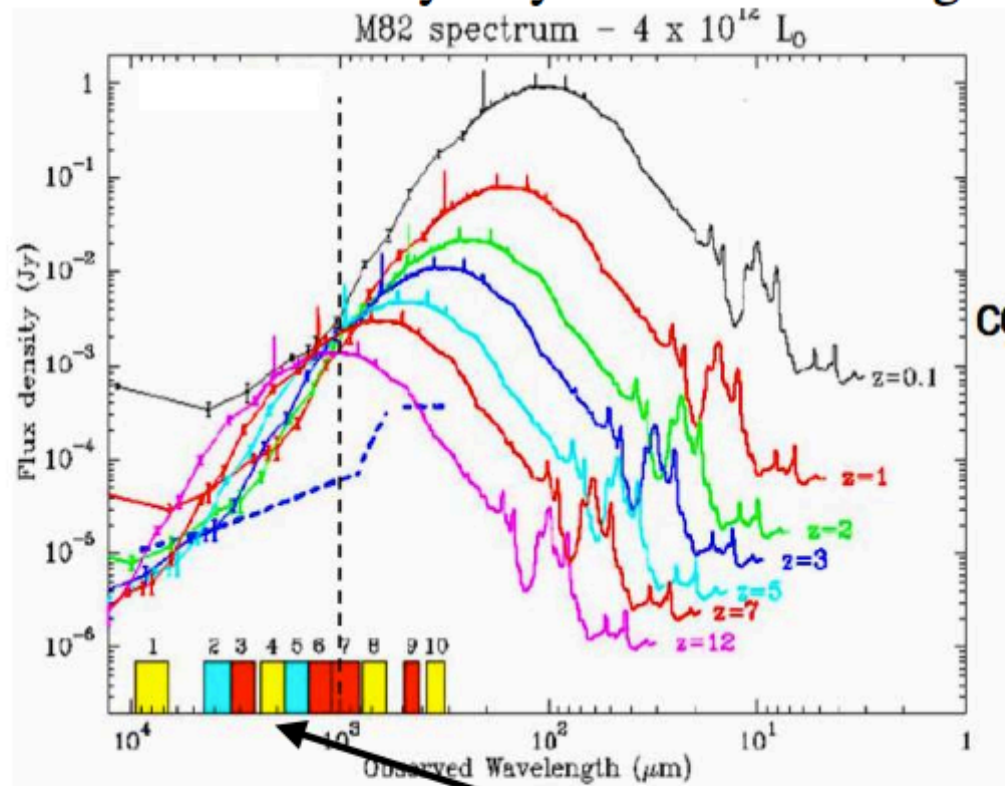
Finkbeiner et al. 1999 (FSD) 2 components= Graphite + Silicate

Number	Model	α_1	α_2	f_1	q_1/q_2	$\langle T_1 \rangle$	$\langle T_2 \rangle$	P_1/P_2	χ^2	χ^2_ν
1	One-component: $\nu^{1.5}$ emis	1.5	...	1.0	1.0	20.0	24943	204
2	One-component: $\nu^{1.7}$ emis	1.7	...	1.0	1.0	19.2	8935	73
3	One-component: $\nu^{2.0}$ emis	2.0	...	1.0	1.0	18.1	3801	31
4	One-component: $\nu^{2.2}$ emis	2.2	...	1.0	1.0	17.4	9587	79
5	Pollack et al. two-component	1.5	2.6	0.25	0.61	17.0	17.0	0.33	1866	15.3
6	Two-component: both ν^2	2.0	2.0	0.00261	2480	4.0	18.1	0.0026	1241	10.3
7	Two-component: fit f, q	1.5	2.6	0.0309	11.2	9.6	16.4	0.0319	244	2.03
8	Two-component: fit f, q, α_1, α_2	1.67	2.70	0.0363	13.0	9.4	16.2	0.0377	219	1.85

2 T models can fit sky brightness distribution beautifully, but requires to explain the physical origin of the very cold dust at 9K

In the High Z Universe Dust is Our Friend

- FIR emission from dust has a negative 'K' correction (the observed flux is only weakly dependent on distance)
- It is thus relatively easy to detect distant galaxies in the FIR

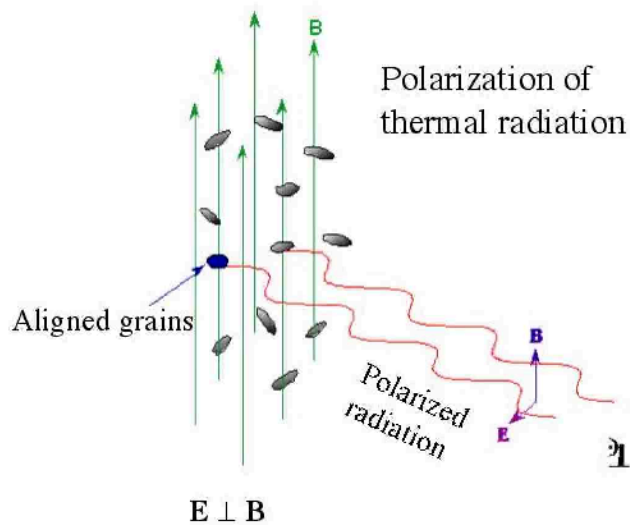


The steep submm
SED counteracts
the $1/D^2$
cosmological dimming

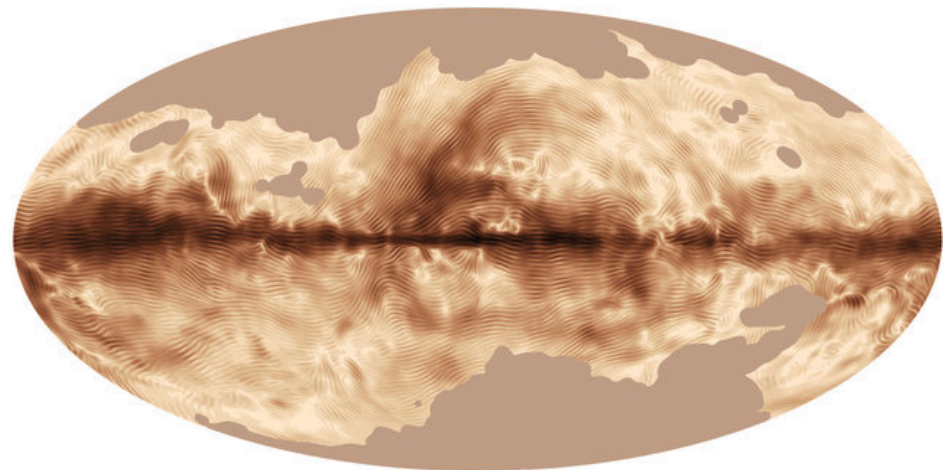
R. Maiolino

Polarization

- Polarization was first observed by Hiltner and Hall in 1949
 - Demonstrates grains are non-spherical and are aligned (presumably) by B fields
- Polarization due to 'linear dichroism'
 - E.g. the cross section is larger in 1 direction than the other one



Planck Image of Polarized Light



Polarization

- Max polarization is @ $5.5\mu\text{m}$ but ranges between 0.34 and $1.0\mu\text{m}$
- Polarization rises through UV, peaks in optical, and falls thereafter
 - Not like the monotonic decrease of extinction from UV to IR
 - *Suggests that grains responsible for UV extinction do not contribute to polarization: e.g. there are a mix of grains*
- Grains are spinning!
 - Rotation velocity of $\sim 1\text{e}5$ Hz

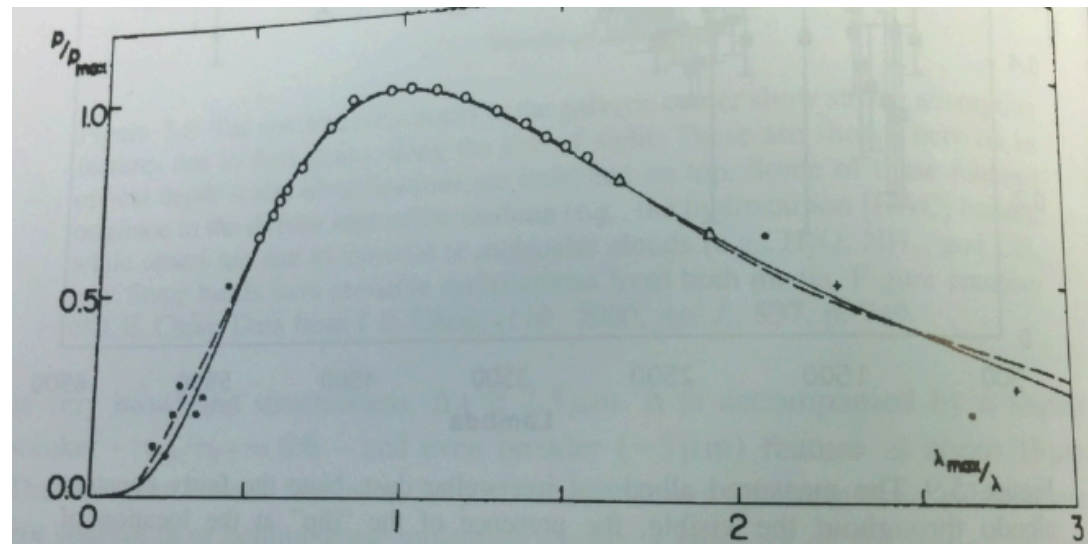
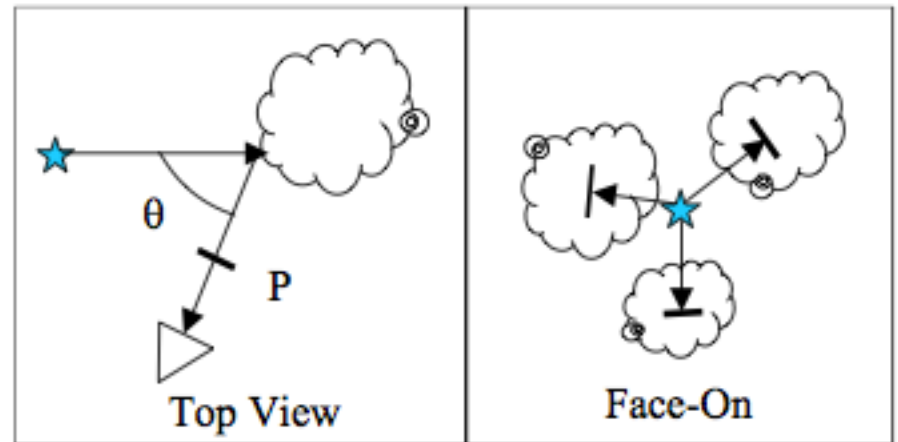


Figure 5.10 The normalized interstellar polarization curve as a function of the normalized wavelength (actually frequency) with $p(\lambda_{\text{max}})$ the maximum polarization at the wavelength, λ_{max} .

Other Forms of Polarizations

- Scattering !
 - It introduces, always, polarization



- Far-IR polarization:
 - Large grains heated to equilibrium have temps of 30-50K and radiate at 60-100 μm
 - Emission is larger along the long axis (in contrast to transmission)
 - *This gives a net polarization of the thermal radiation with P aligned with the long axis*
 - *For the transmission case P is aligned along the short*

Recap on Dust

- Dust is responsible for extinction (IR to UV) and shape the SED of galaxies
- Galaxies are bright at IR due to dust emission
- Dust comes in many sizes: power law $a^{-3.5}$
 - Interpretation of extinction curve, scattering
- Dust is made by a mix of grains: graphites, silicates, ice
 - PAHs, temperature map of the Galaxy, polarization vs extinction
- Dust grains are aligned by the magnetic field:
 - Polarization